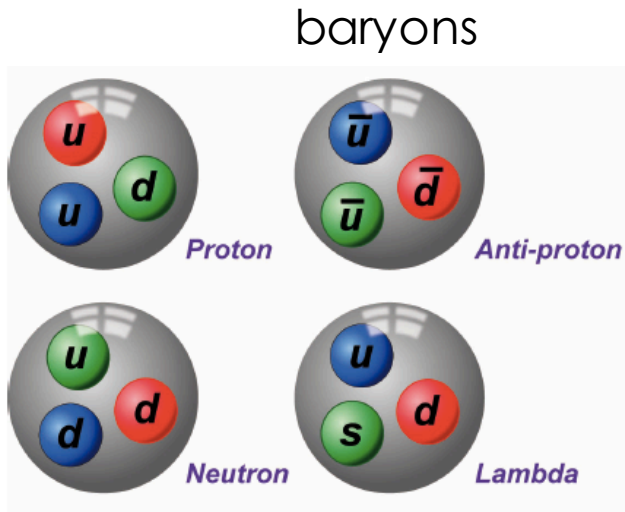
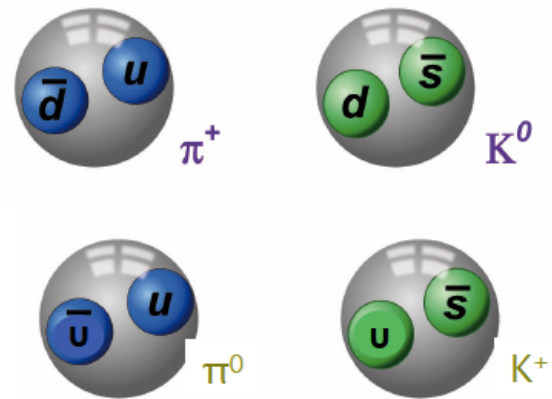


# The strong interaction

## Quarks



## mesons



and color

From ~ 1940's to 1960's discovery of a lot of particles

## → The quarks model of Gell-Mann and Zweig (1962) :

Hadrons are composite states of more fundamental degrees of freedom : the quarks

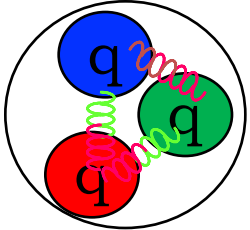
→ Quarks properties :

*Reductionist approach*  
*Use of symmetries (similar masses)*

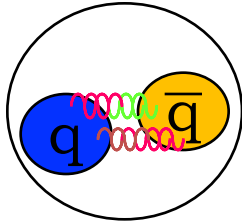
- Spin  $\frac{1}{2}$
- Fractional electric charges :  $+\frac{2}{3}$  or  $-\frac{1}{3}$
- Quarks have a new quantum number : color and  $N_c = 3$
- SU(3) symmetry
- Hadrons are color singlets

What was needed :

Q= $\frac{2}{3}$	<b>u</b> , Mass ~ few MeV	
Q= $-\frac{1}{3}$	<b>d</b> , Mass ~ few MeV	<b>s</b> , Mass ~ few hundred MeV



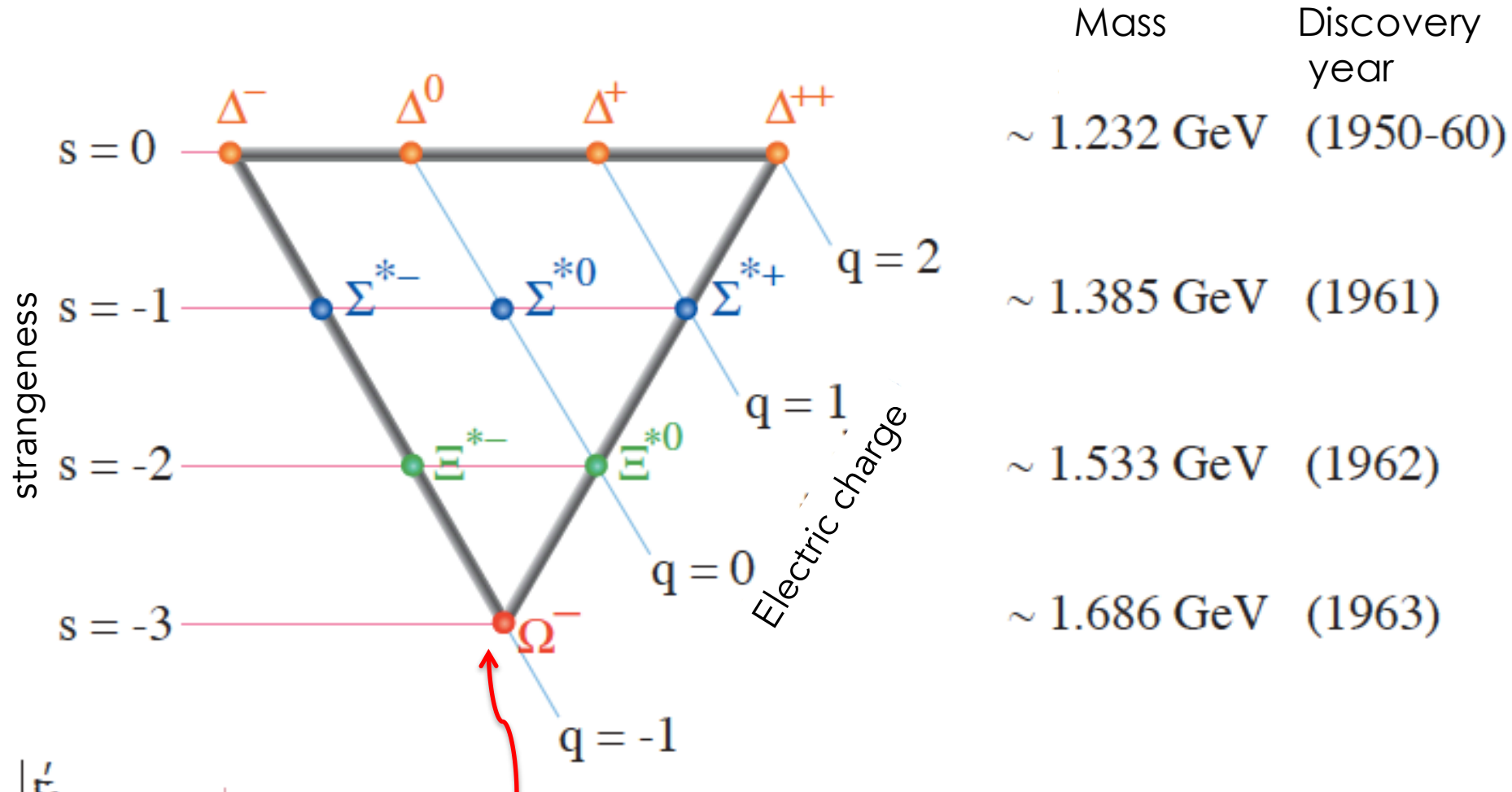
Baryons : spin  $\frac{1}{2}$  or  $\frac{3}{2}$



Mesons: spin 0 or 1

# A whole zoo of particles can be classified ...

## Building of the baryons (3 quarks)



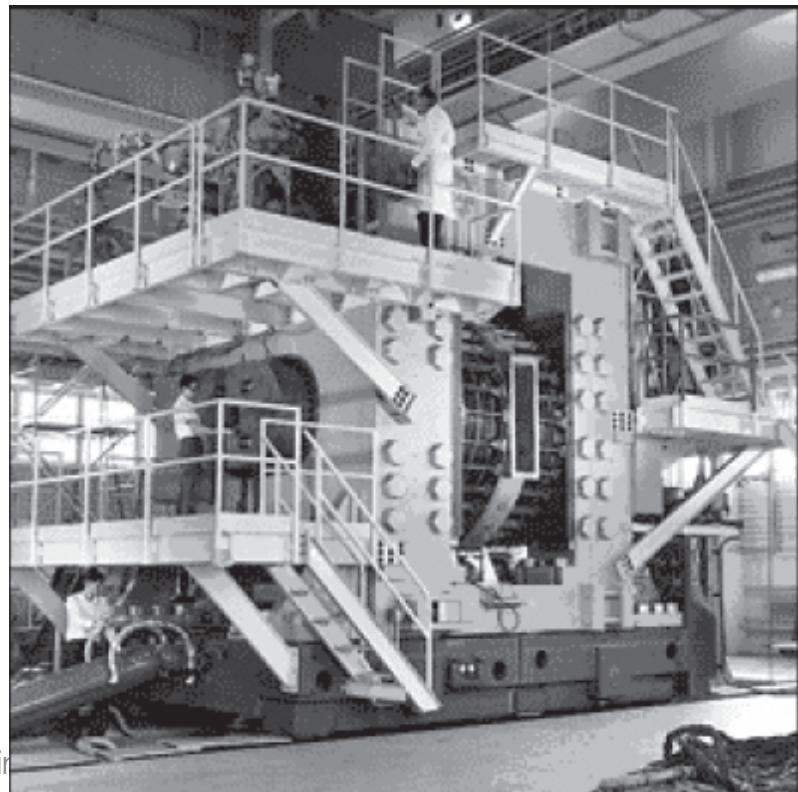
Some particles can be predicted

In 1962 Ne'eman and Gellman predicted the existence of a (sss) baryon



ICHEP @ CERN (1962)

Brookhaven bubble chamber, 80000 pictures !

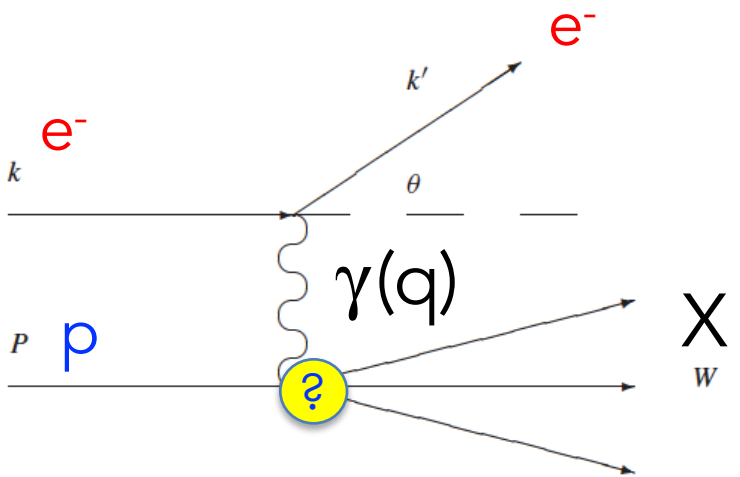


1000 liters of liquid Hydrogen

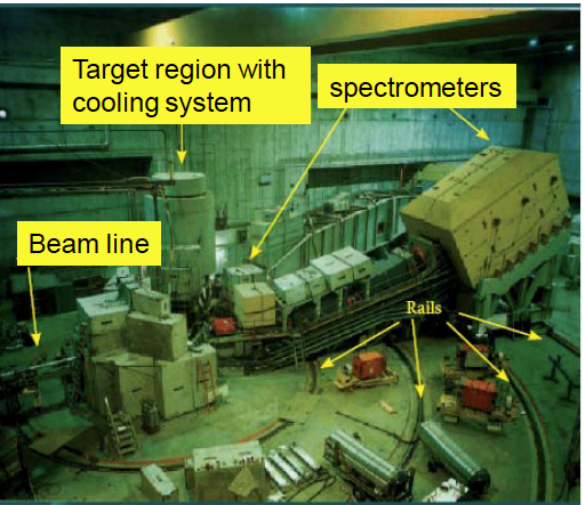
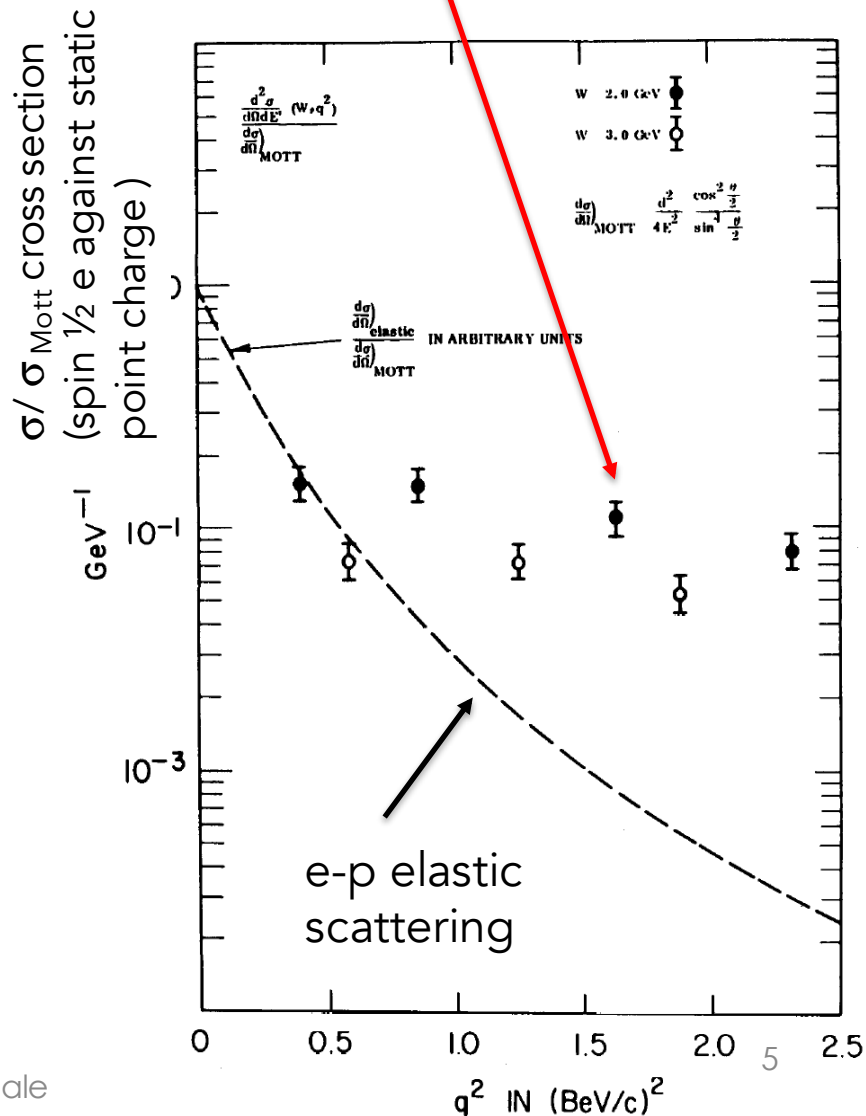
But are those quarks just artificial mathematical concepts or are they real ?

Deep Inelastic Scattering (DIS)

$e^- p \rightarrow e^- X \quad (X=p,n,\pi,..) \quad Q^2 = -q^2$   
 $W^2 = M_X^2 = (p_p + q)^2$

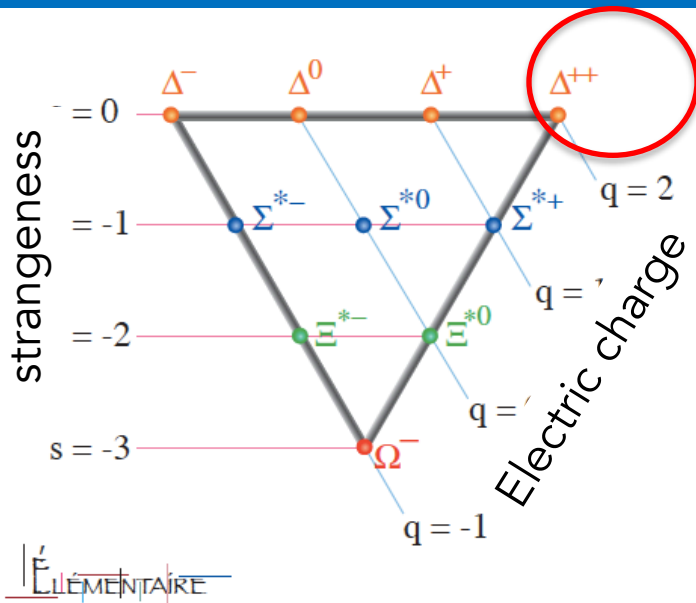


Evidence for internal substructure: weak decrease with  $q^2$



SLAC 1969

# QCD : the color



3 identical quarks all spin up

Pauli exclusion principle

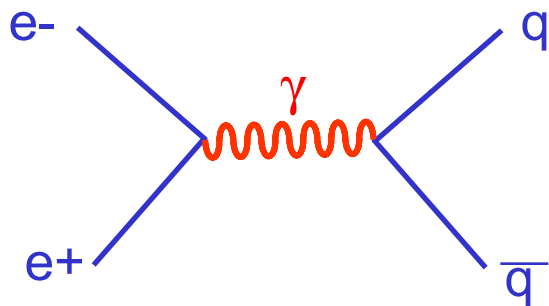
→ color

$$\Delta^{++} \quad |u_R \uparrow u_B \uparrow u_G \uparrow\rangle \quad J^P = 3/2^+$$

→ SU(3)

- charge for the strong interaction : colour charge
- SU(3) :  $3^2 - 1 = 8$  generators  $\Rightarrow$  8 gluons vector particles of the strong interaction
- quarks carry a colour charge (R, G or B)
- the colour exchange takes place through 8 bicoloured gluons

# Experimental evidence : the R ratio



$$R = \frac{\sigma(e^+e^- \rightarrow \text{hadrons})}{\sigma(e^+e^- \rightarrow \mu^+\mu^-)} = N_c \sum_i q_i^2$$

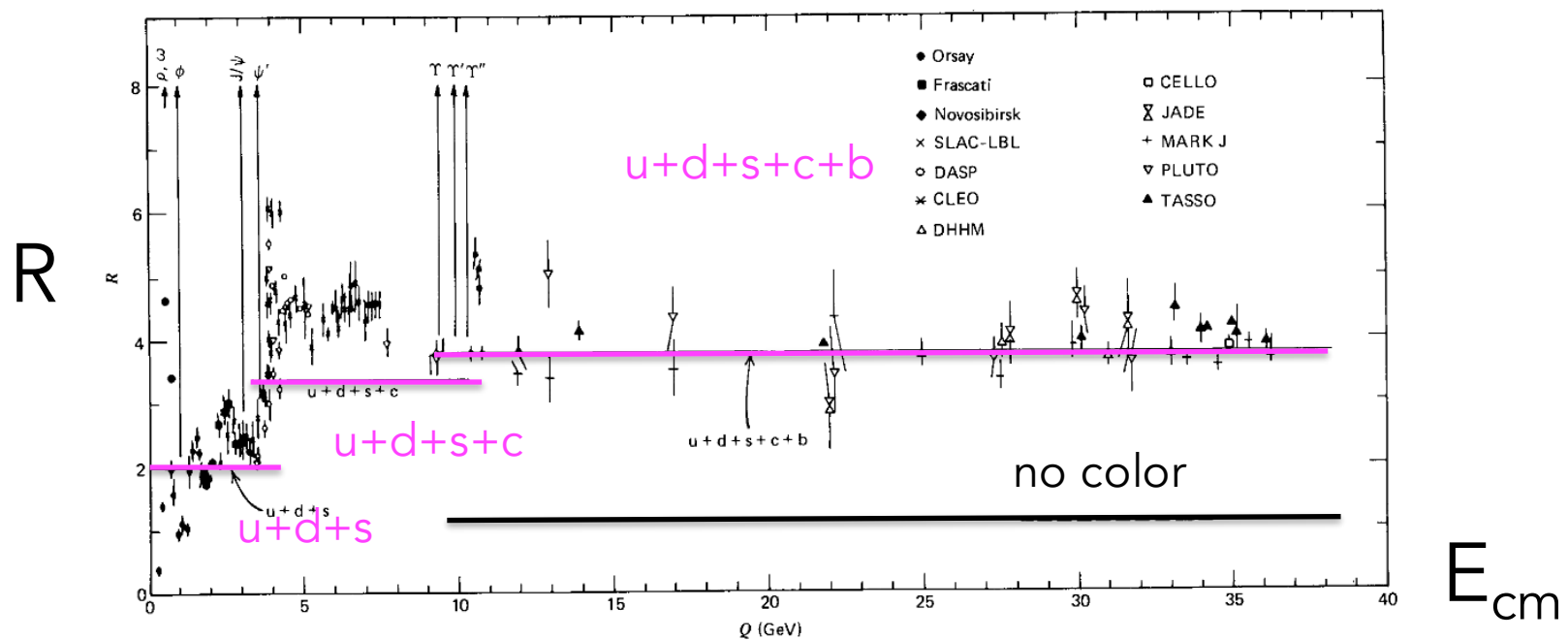
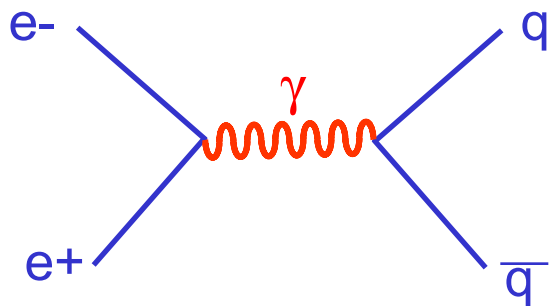


Fig. 11.3 Ratio  $R$  of (11.6) as a function of the total  $e^-e^+$  center-of-mass energy. (The sharp peaks correspond to the production of narrow  $1^-$  resonances just below or near the flavor thresholds.)

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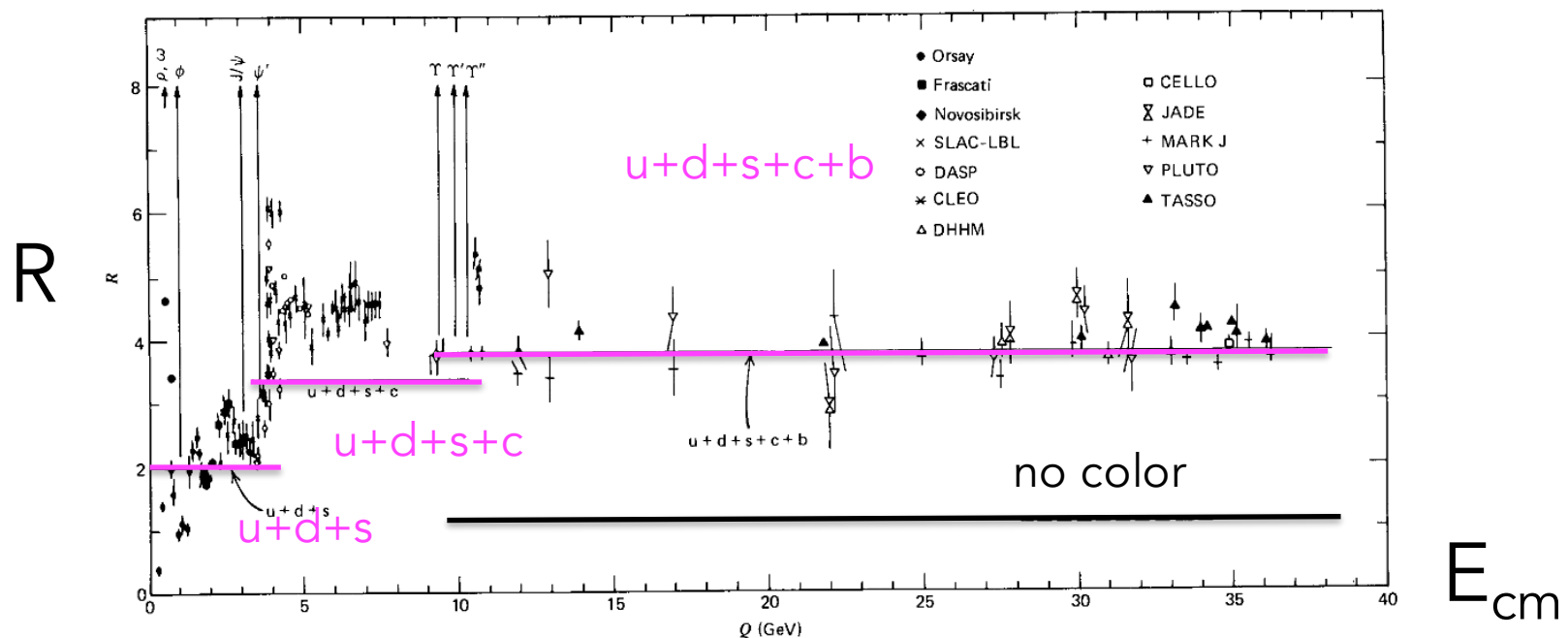
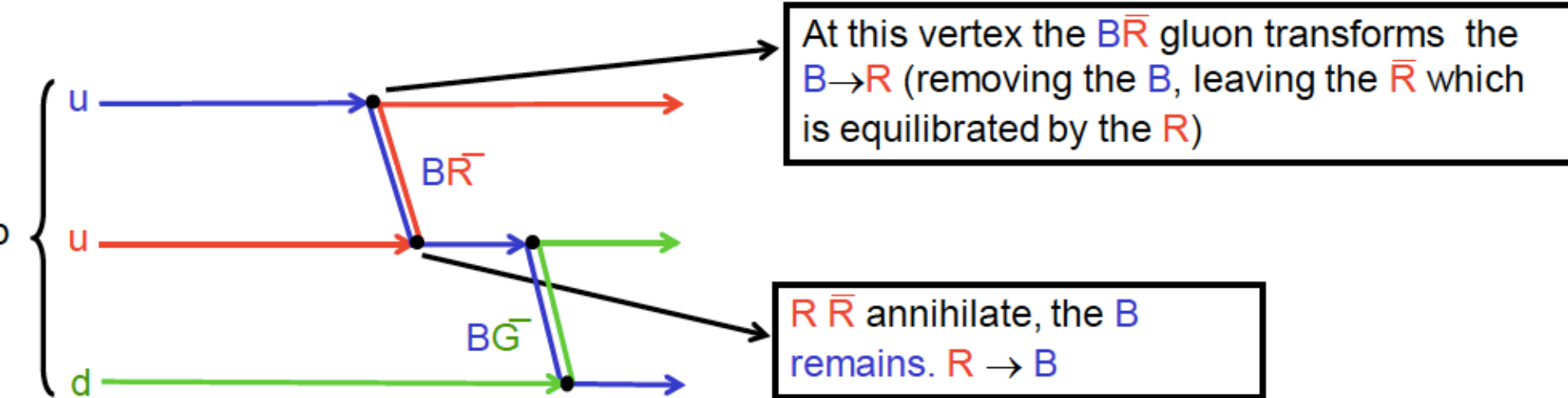


Fig. 11.3 Ratio  $R$  of (11.6) as a function of the total  $e^-e^+$  center-of-mass energy. (The sharp peaks correspond to the production of narrow  $1^-$  resonances just below or near the flavor thresholds.)

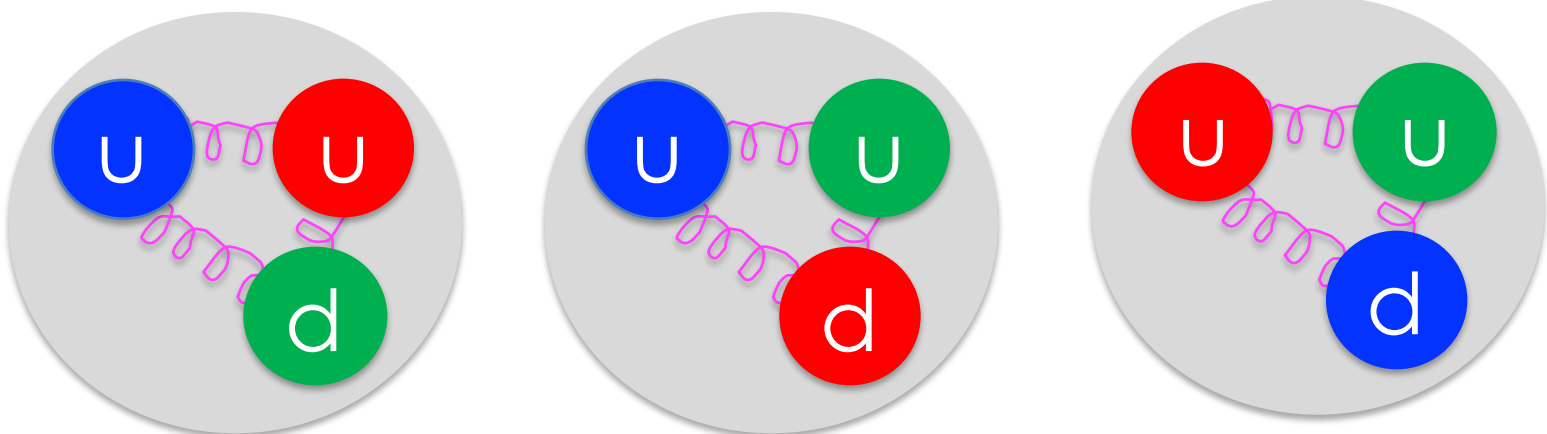


QCD is the theory based on colour-SU(3) which describes the strong interaction :

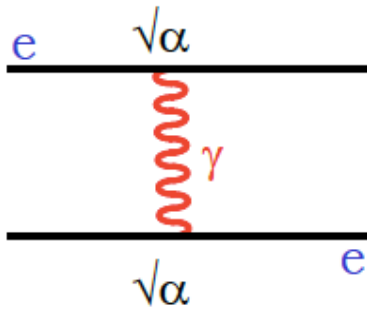
Proton description :



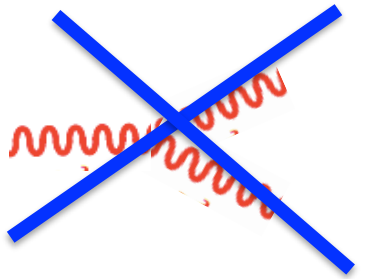
The proton is a mixture of :  $u_R u_B d_G, u_R u_G d_B, u_B u_G d_R, \dots$



# QED :

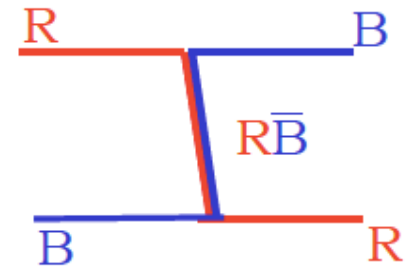
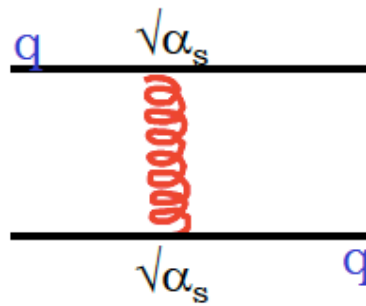


- 1 photon :
- massless
  - electrically neutral

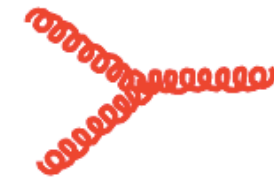


Does not exist

# QCD :



- 8 gluons :
- massless
  - colored

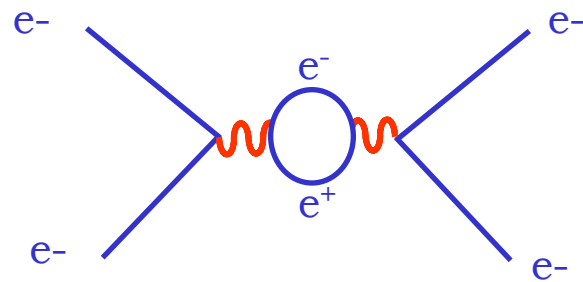
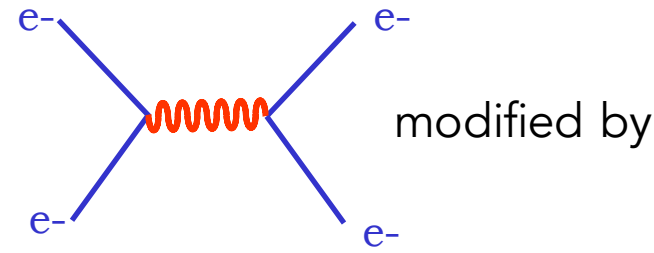


gluon self-interaction



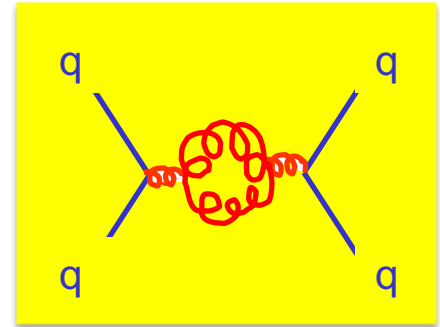
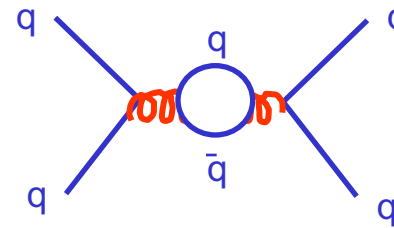
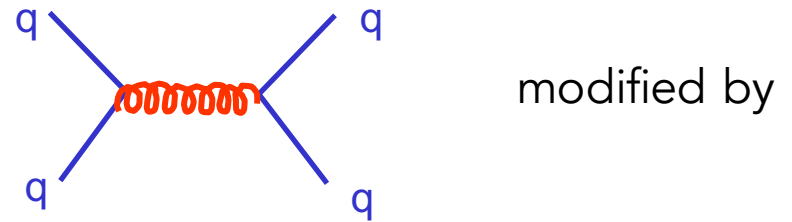
# QED :

$$\alpha(Q^2) = \frac{\alpha(\mu^2)}{1 + \frac{\alpha(\mu^2)}{4\pi} \left(-\frac{4}{3}\right) \log\left(\frac{Q^2}{\mu^2}\right)}$$



# QCD :

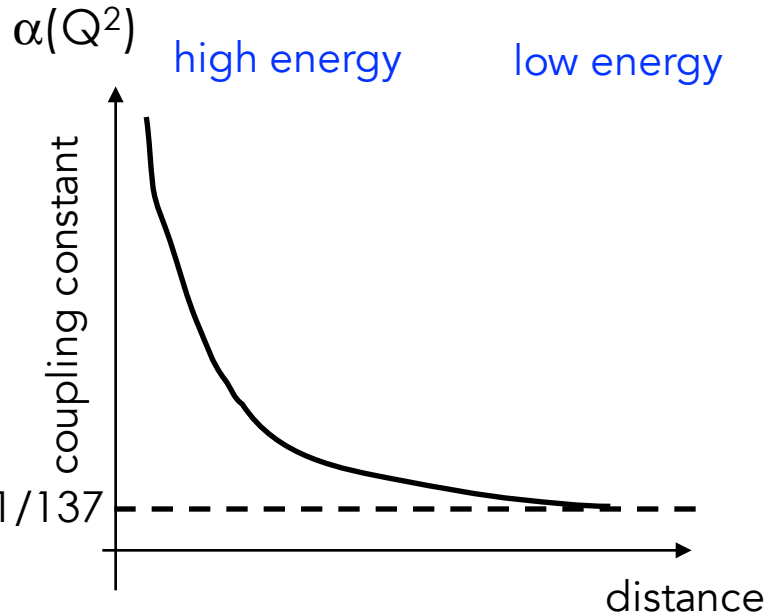
$$\alpha_s(Q^2) = \frac{\alpha_s(\mu^2)}{1 + \frac{\alpha_s(\mu^2)}{4\pi} \left(-\frac{2n_f}{3} + 11\right) \log\left(\frac{Q^2}{\mu^2}\right)}$$



$n_f$  : number of flavours  
 In the SM  $\left(-\frac{2n_f}{3} + 11\right) > 0$

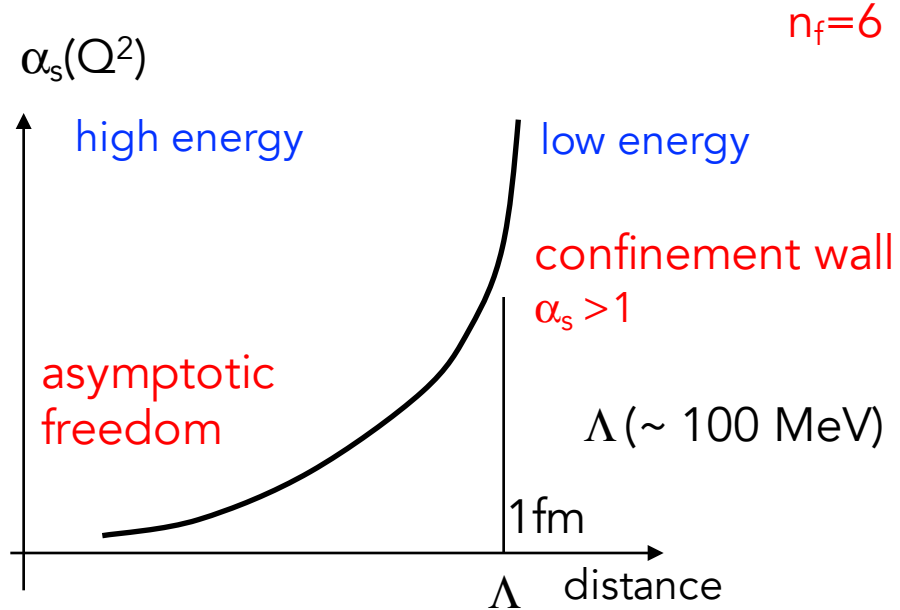
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## QCD :

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$Q^2 \sim \Lambda^2$  strong coupling ~~perturbations~~

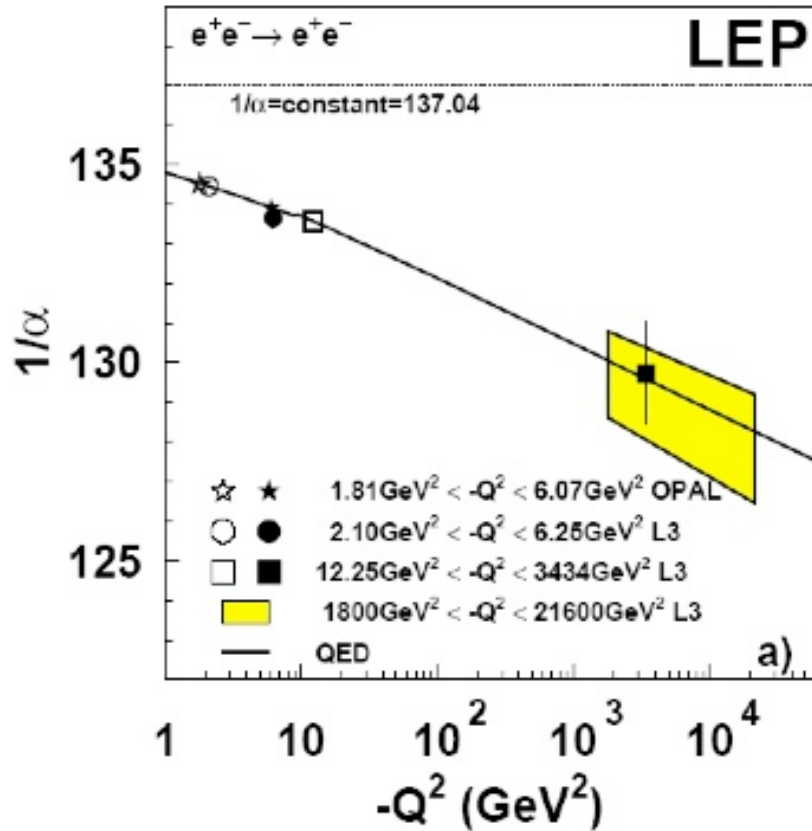
$Q^2 \gg \Lambda^2$  weak coupling perturbations

non intuitive!

Colour confinement

# QED :

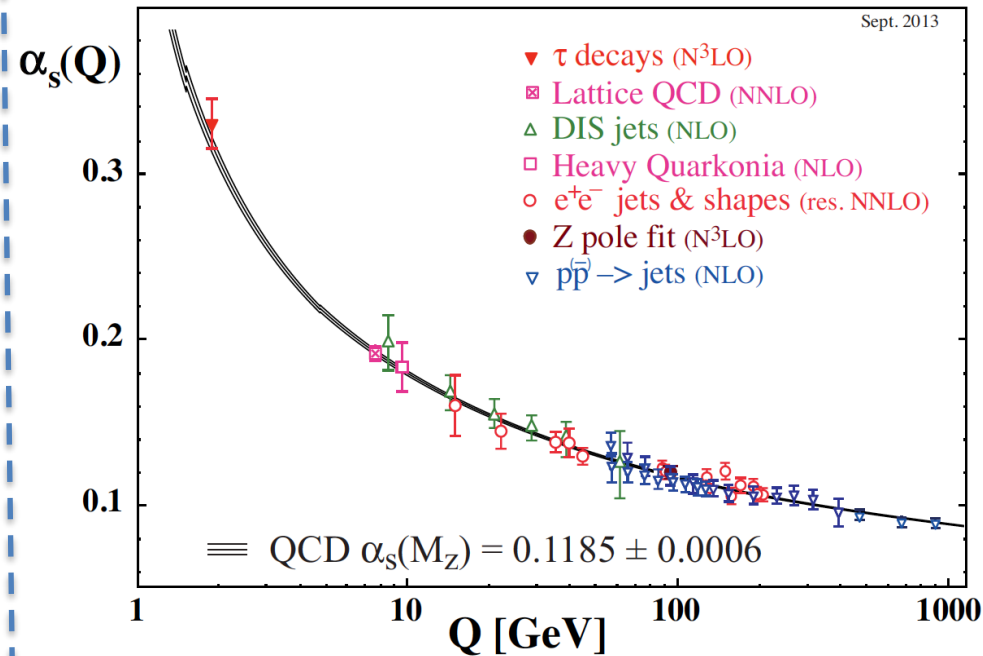
Evolution of  $1/\alpha$  as a function of E



When the energy increases (the distance decreases)  $\alpha$  increases

# QCD :

Evolution of  $\alpha_s$  as a function of E



When the energy increases (the distance decreases)  $\alpha_s$  decreases

# Strong interaction in summary

- 3 charges (Red Blue Green)
- Strong interaction coupling ( $\alpha_s$ ) is universal
- The vector boson of QCD carries color
  - free quarks are not observed
  - mesons and baryons (... and more !)
  - asymptotic freedom
  - no perturbation theory building possible at low energy  $\rightarrow$  models to be developed

